UPDATE ON IGSM2 RELEASE

IGSM2 User's Group Meeting

April 18, 2003

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California Department of Water Resources



IGSM2: Description

- A comprehensive integrated hydrological model that simulates groundwater flow, surface flows, and surface-groundwater interaction
- A planning tool as it computes agricultural and urban water demands based on land use and crop types and allows user to specify water supply to meet the demand
- A <u>successor</u> to IGSM (version 5.0). IGSM2 has a new engine that uses mathematical and numerical techniques that are consistent with the current practices



Overview of Work Performed

- Analysis and documentation of IGSM 5.0 code (15 months)
- Modifications and improvements on theory and programming structure to create IGSM2 (6 months)
- 3 beta version releases to selected parties (3 months)
- IGSM2 v1.0 made available to public in December
 2002 accompanied by a 3-day workshop
- IGSM2 v1.01 made available to public in January 2003
- Next version release with improvements/additions and workshop planned for the end of 2003



Principle Findings of IGSM Peer Review (LaBolle, Ahmed and Fogg, 2002)

- Improperly implemented head-dependent boundaries (GHBs, stream-aquifer interaction, lake-aquifer interaction, tile drains)
- Problems in simultaneously converging groundwater and surface water models
- Explicit formulation of head dependent transmissivity
- Problems associated with fixed monthly time step
- Lack of adequate documentation of the theory, computer code and verification problems



Implementation of Head-Dependant B.C.

General equation:

$$\mathbf{Q} = \mathbf{C} \Big(\mathbf{h_B} - \mathbf{h_g} \Big)$$

 Proper implementation of head dependant boundary conditions into the system of equations modifies coefficient matrix and r.h.s. vector:

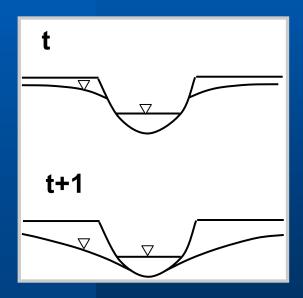
$$\begin{bmatrix} A_{11} & \cdots & A_{1n} \\ \vdots & \ddots & \vdots \\ A_{n1} & \cdots & A_{nn} \end{bmatrix} \begin{bmatrix} h_1^{t+1} \\ \vdots \\ h_1^{t+1} \end{bmatrix} = \begin{bmatrix} F_1^{t+1} \\ \vdots \\ F_n^{t+1} \end{bmatrix}$$



Implementation of Head-Dependant B.C. (continued)

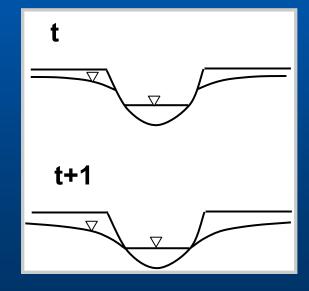
Explicit modeling (IGSM)

$$\mathbf{Q} = \mathbf{C} \Big(\mathbf{h}_{\mathbf{B}}^{\mathbf{t}} - \mathbf{h}_{\mathbf{g}}^{\mathbf{t}} \Big)$$



Implicit modeling (IGSM2)

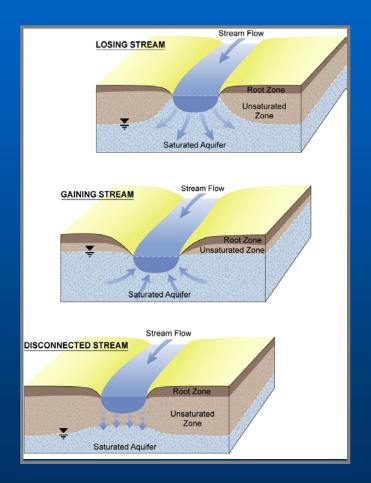
$$\mathbf{Q} = \mathbf{C} \Big(\mathbf{h}_B^{t+1} - \mathbf{h}_g^{t+1} \Big)$$





Stream Flow and Stream-Aquifer Interaction

- Assumption of zero storage at a stream node in computing stream flows; i.e.
 Q_{in} = Q_{out}
- Fully coupled stream flow and groundwater equations in computing the streamaquifer interaction
- Stream-aquifer interaction is computed implicitly with an iterative method





Problem 1c

$$h_0 = h_1 = 200 \text{ ft}$$

$$h_2 = 100 \text{ ft}$$

$$K = 100 \text{ ft/d}$$

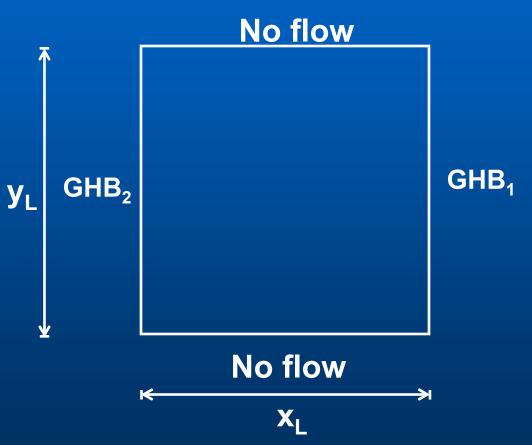
$$S_{v} = 0.1$$

$$x_L = y_L = 1000 \text{ ft}$$

$$\Delta x = \Delta y = 100 \text{ ft}$$

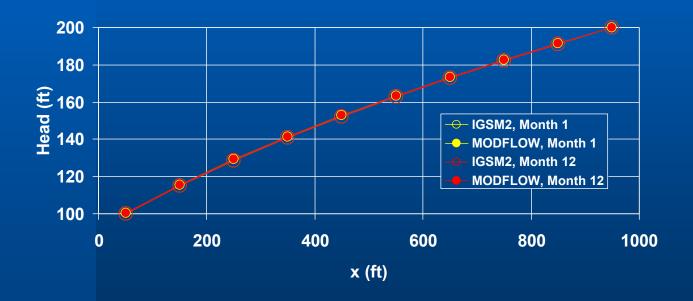
$$C_1 = 2 \times 10^6 \text{ ft}^2/\text{d}$$

$$C_2=1 \times 10^6 \text{ ft}^2/\text{d}$$





Problem 1c





Problem 1d

$$h_0 = h_1 = 200 \text{ ft}$$

$$h_2 = 100 \text{ ft}$$

$$K = 100 \text{ ft/d}$$

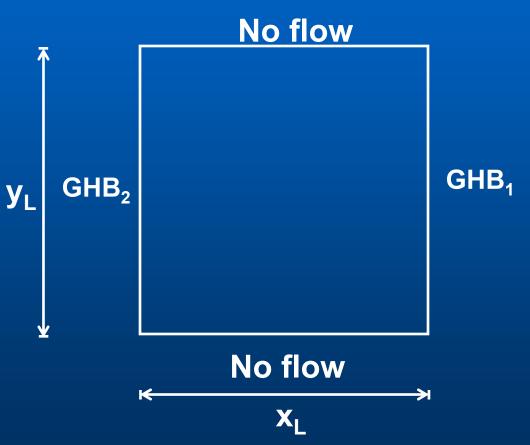
$$S_{v} = 0.1$$

$$x_L = y_L = 10000 \text{ ft}$$

$$\Delta x = \Delta y = 1000 \text{ ft}$$

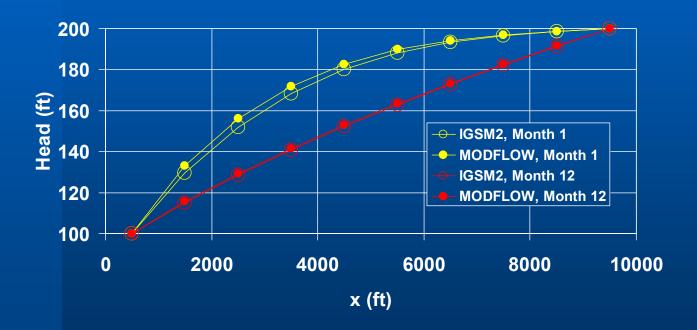
$$C_1 = 2 \times 10^7 \text{ ft}^2/\text{d}$$

$$C_2 = 1 \times 10^7 \text{ ft}^2/\text{d}$$





Problem 1d





Problem 2a

 $h_0 = h_1 = h_2 = 195 \text{ ft}$

 $z_{d} = 192 \text{ ft}$

 $B_{d} = 50 \text{ ft}$

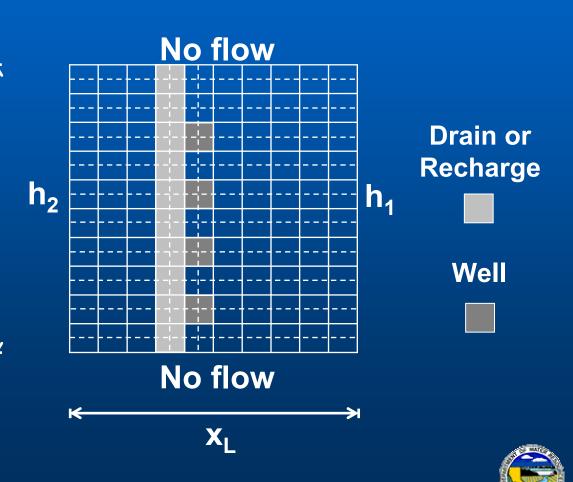
K = 20 ft/d

 $S_{v} = 0.1$

 $x_L = y_L = 10000 \text{ ft}$

 $\Delta x = \Delta y = 1000 \text{ ft}$

 $C_d = 4 \times 10^5 \text{ ft}^2/\text{d}$



Problems 2a – 2c

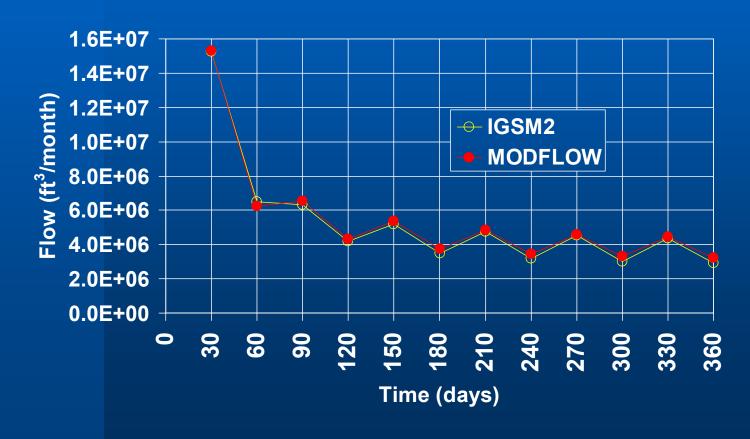
	Pumping*	Recharge**
Month	(gpm)	(ft/day)
1	0	0.02592
2	2452	0.02592
3	0	0.02592
4	2452	0.02592
5	0	0.02592
6	2452	0.02592
7	0	0.02592
8	2452	0.02592
9	0	0.02592
10	2452	0.02592
11	0	0.02592
12	2452	0.02592

^{*} Distributed equally among 4 nodes



^{**} Applied to 10 nodes with tile drains

Problem 2a





Problem 2b

 $h_0 = h_1 = h_2 = 195 \text{ ft}$

 $z_{d} = 192 \text{ ft}$

 $B_{d} = 50 \text{ ft}$

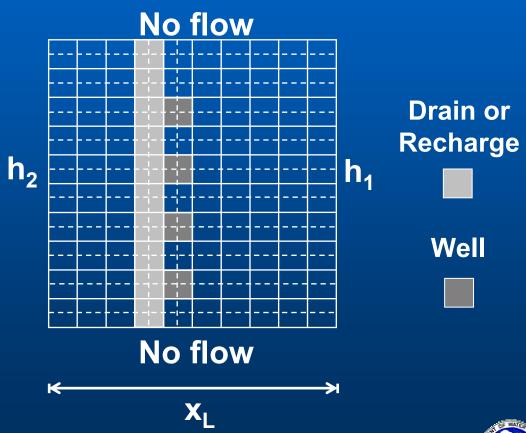
K = 20 ft/d

 $S_{v} = 0.1$

 $x_L = y_L = 10000 \text{ ft}$

 $\Delta x = \Delta y = 1000 \text{ ft}$

 $C_d = 4 \times 10^4 \text{ ft}^2/\text{d}$





Problem 2b





Problem 2c

 $h_0 = h_1 = h_2 = 195 \text{ ft}$

 $z_{d} = 192 \text{ ft}$

 $B_{d} = 50 \text{ ft}$

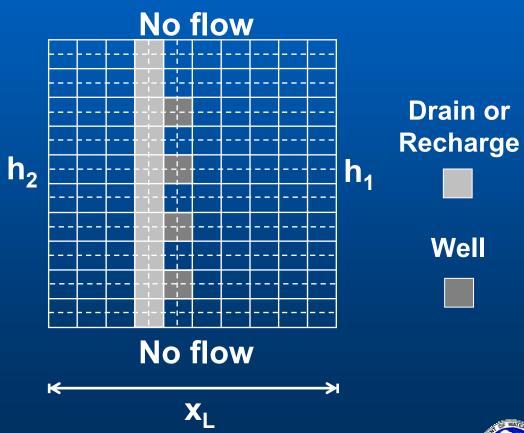
K = 20 ft/d

 $S_{v} = 0.1$

 $x_L = y_L = 10000 \text{ ft}$

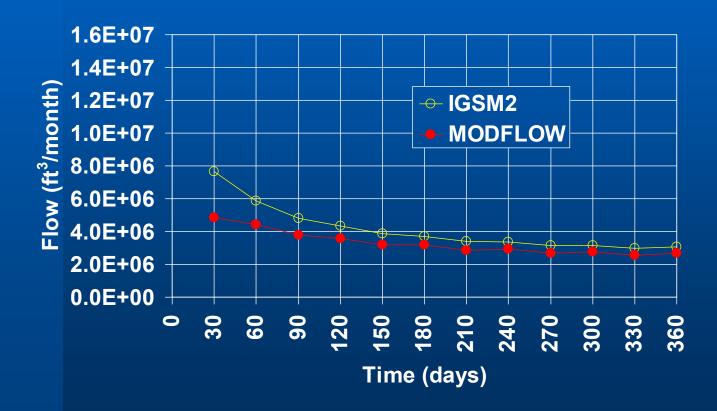
 $\Delta x = \Delta y = 1000 \text{ ft}$

 $C_d = 4 \times 10^3 \text{ ft}^2/\text{d}$





Problem 2c





Problem 3b (Scenario 3)

$$h_0 = h_1 = h_2 = 200 \text{ ft}$$

$$b_r = 180 \text{ ft}$$

K = 100 ft/d

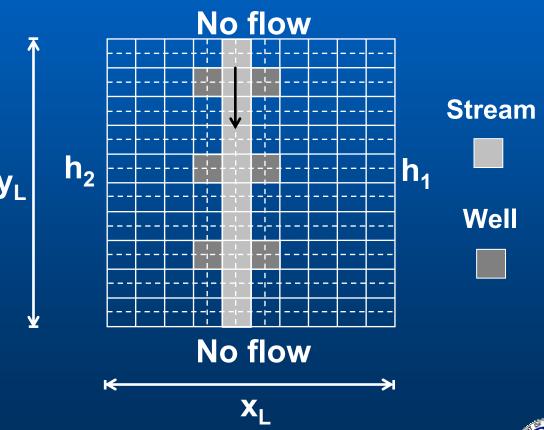
 $S_{v} = 0.1$

 $x_L = y_L = 10000 \text{ ft}$

 $\Delta x = \Delta y = 1000 \text{ ft}$

 $C_r = 10 \text{ ft}^2/\text{d}$

Inflow = 100 cfs



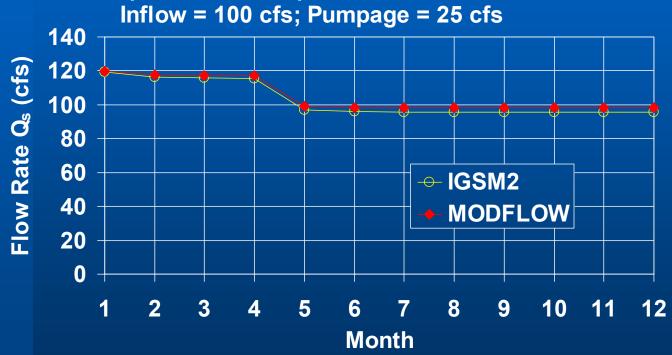


Problem 3b (Scenario 3)

	Pumping	Inflow
Month	(cfs)	(cfs)
1	0	100
2	0	100
3	0	100
4	0	100
5	0	100
6	25	100
7	25	100
8	25	100
9	25	100
10	25	100
11	25	100
12	25	100

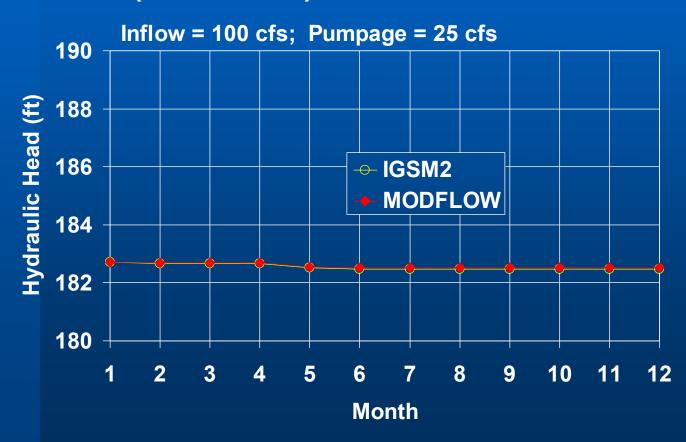


Problem 3b (Scenario 3)





Problem 3b (Scenario 3)

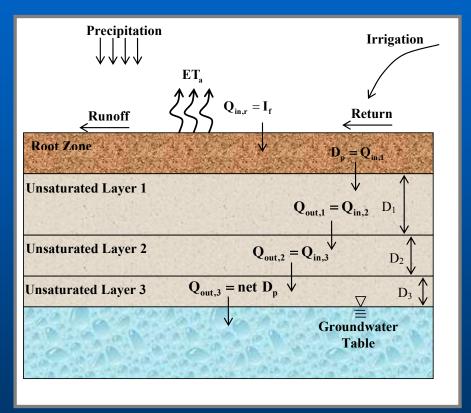




Soil Moisture Routing

- Precipitation and irrigation less direct runoff and return flow is the inflow into root zone
- Deep percolation from root zone is the inflow into unsaturated zone
- Net deep percolation from unsaturated zone is the recharge to groundwater
- Conservation of mass:

$$\mathbf{D}\!\!\left[\!\frac{\boldsymbol{\theta^{t+1}}\!-\!\boldsymbol{\theta^{t}}}{\Delta t}\!\right]\!\!=\!\mathbf{Q}_{in}^{t+1}\!-\!\mathbf{E}\mathbf{T}^{t+1}\!-\!\mathbf{K}_{s}\!\left[\!\frac{\boldsymbol{\theta^{t+1}}}{\eta_{T}}\!\right]^{\!4}$$

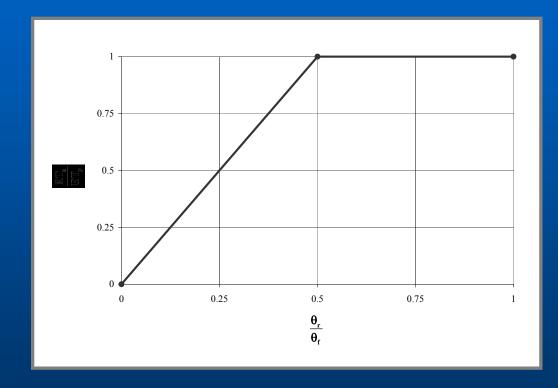




Evapotranspiration

- Time dependent ET is computed as a function of soil moisture in the root zone, field capacity and potential ET
- (FAO, 1998):

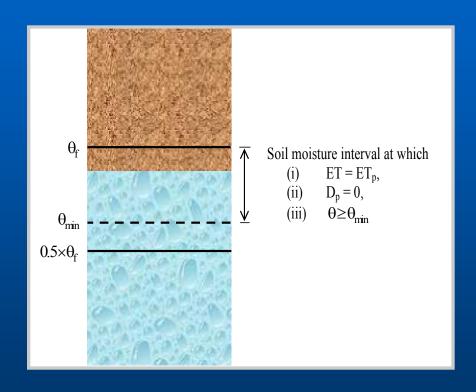
$$\mathsf{ET_a} = \begin{cases} 2\mathsf{ET_p} \frac{\theta_r}{\theta_f} & \text{if } 0 < \frac{\theta_r}{\theta_f} \le 0.5 \\ \mathsf{ET_p} & \text{if } 0.5 < \frac{\theta_r}{\theta_f} \end{cases}$$





Agricultural Demand

- The required amount of applied water in order to maintain optimum agricultural conditions
- At optimum agricultural conditions
- (1) ET rates are at their potential levels for proper crop growth
- (2) soil moisture loss as deep percolation is minimized
- (3) minimum soil
 moisture requirement for
 each crop is met at
 all times





Other Important Features of IGSM2

- Functionality of variable time step is included in the code; internal computations are currently done on a daily time step
- Complete theoretical documentation and user's manual
- Proper modeling of lake-groundwater interaction similar to the modeling of stream-groundwater interaction
- Nonlinear computation of groundwater pumping in the event of drying aquifer
- Improved computation and appearance of budget tables
- Dynamic dimensioning of the program arrays



Near-Future Improvements for IGSM2

- Automated adjustment of surface water diversions and groundwater pumping to meet the urban and agricultural demand
- Implementation of numerical techniques to present proper groundwater budgeting for subsections of the modeled area (equivalent to Zonebudget in MODFLOW)
- Ability to run IGSM2 for adjacent model domains sequentially
- Additional documentation of the computer code (inclusion of list of variables, their meanings and inclusion of comment lines)



Future Improvements for IGSM2

- Inclusion of reservoir operations and water rights simulation package
- Full flexibility of variable time step
- Soil moisture routing over each element
- Capability of recognizing standard database file inputs (e.g. HEC-DSS)
- Development of a GUI
- Enhancing CALSIM II (coupling with IGSM2)



Ultimate Goal:

Continue enhancing IGSM2 according to the feedback received from the user's group

